



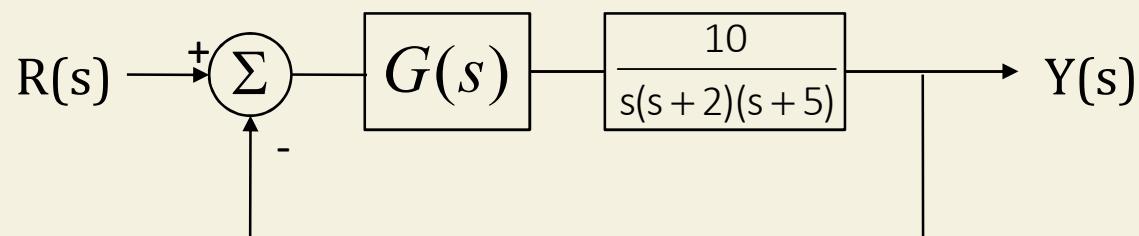
TE055

Compensação dinâmica: Exercícios

Profª Juliana L. M. Iamamura

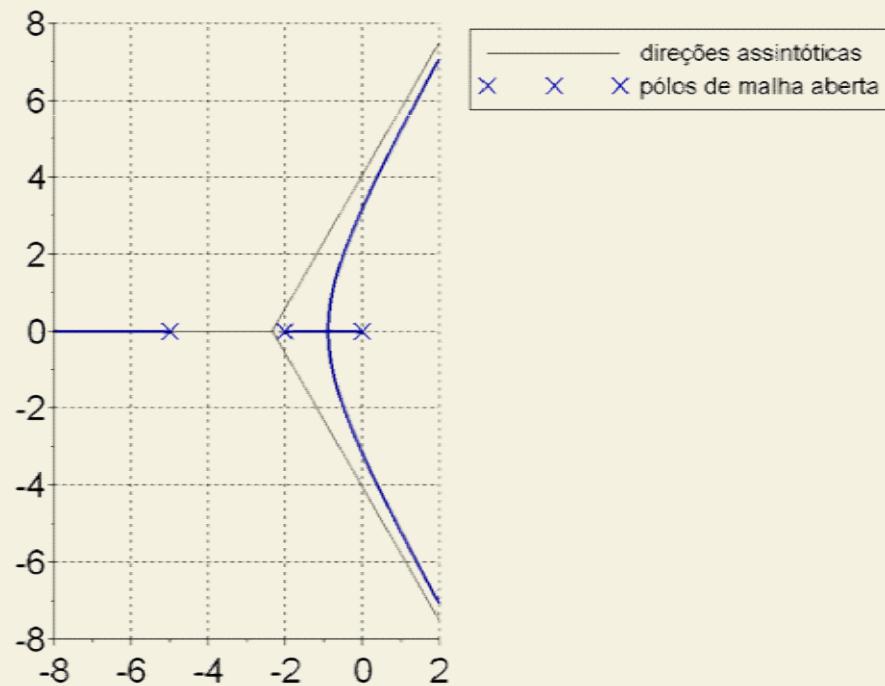
Ogata B.6.21

Considere o sistema de controle mostrado na figura abaixo. Projete um compensador de modo que os polos dominantes de malha fechada estejam localizados em $s = -2 \pm j2\sqrt{3}$ e a constante de erro estático de velocidade K_v seja 50 s^{-1} .



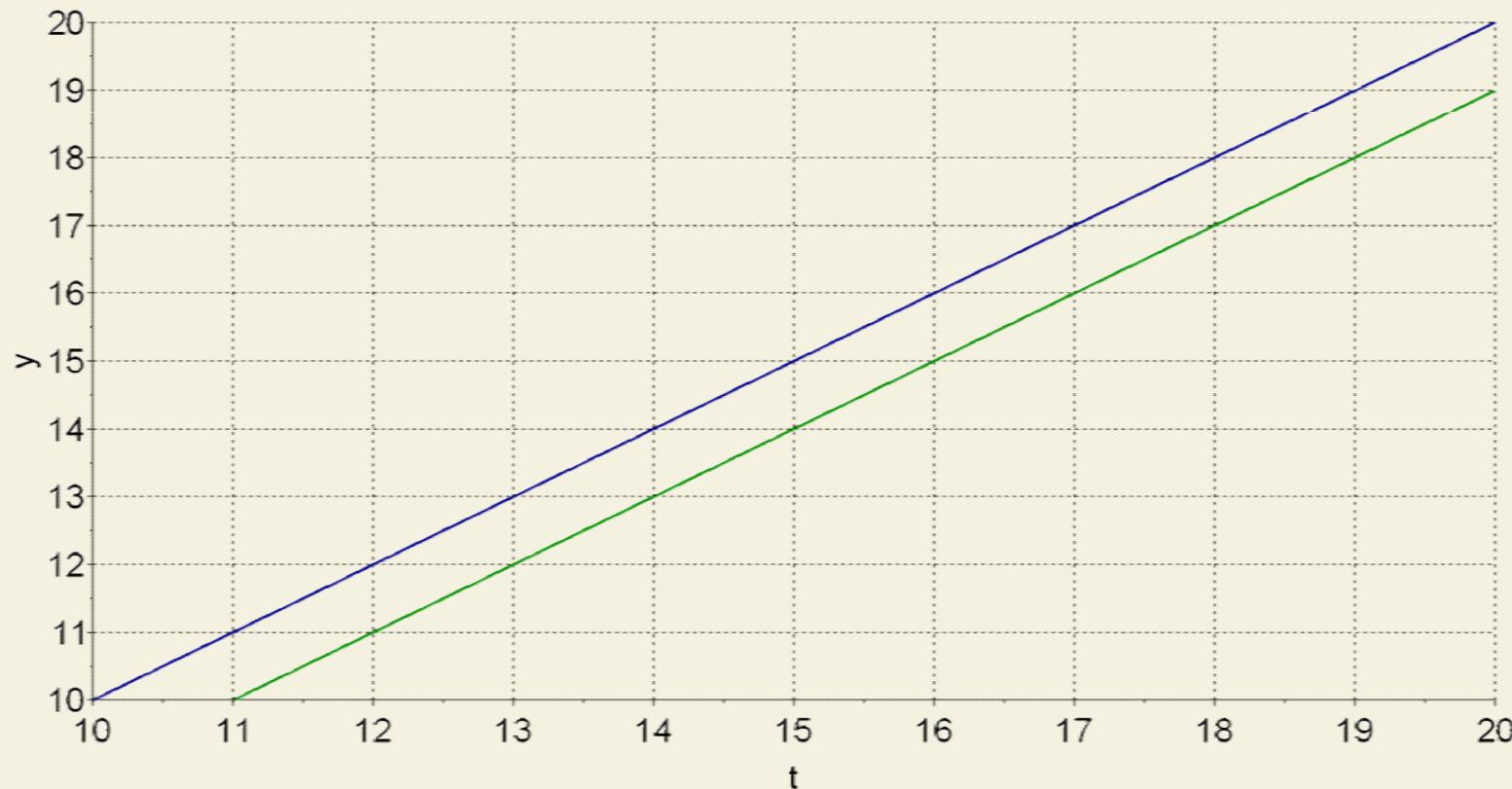
Ogata B.6.21

Sem controlador



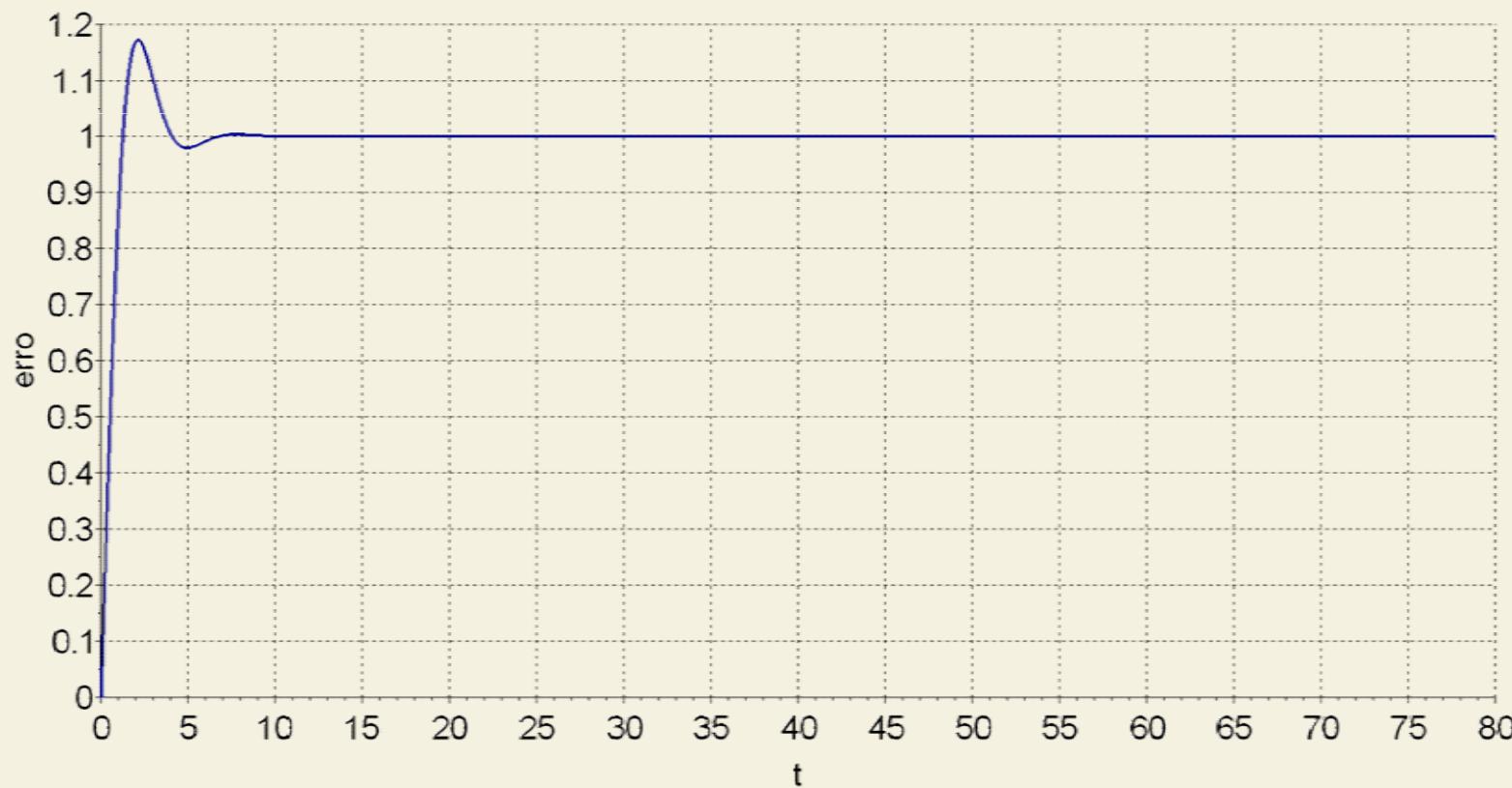
Ogata B.6.21

Sem controlador



Ogata B.6.21

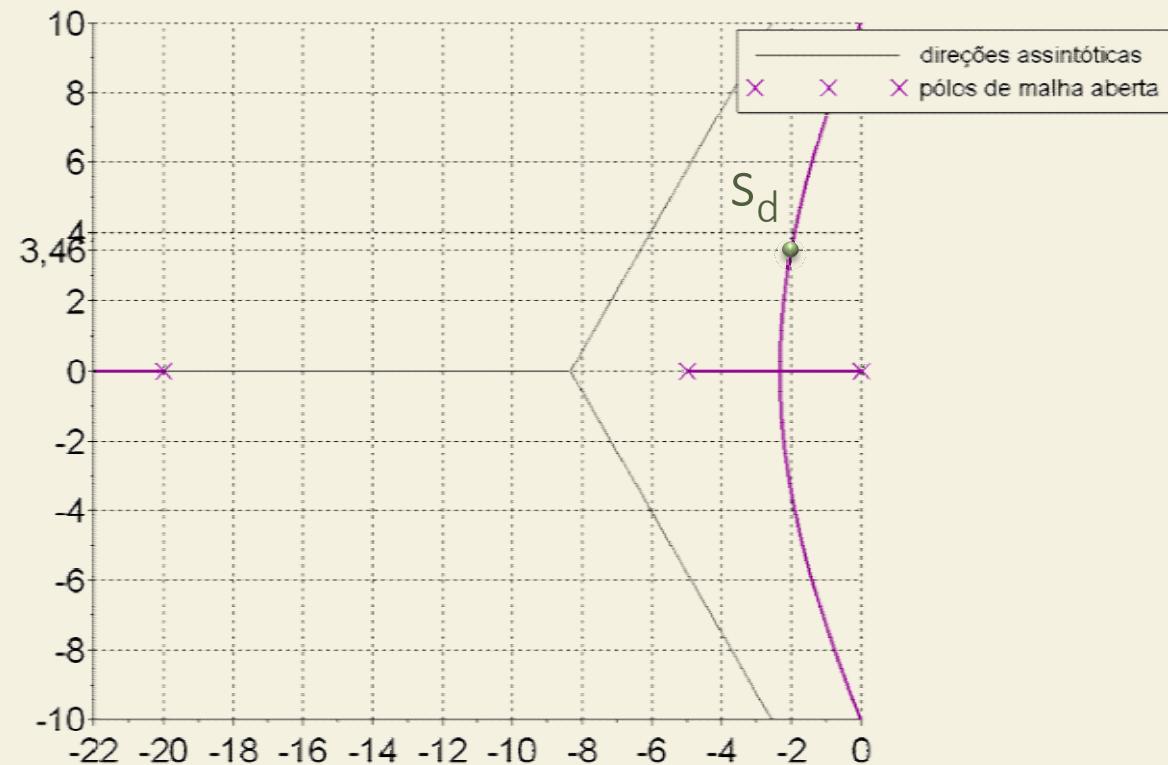
Sem controlador



Ogata B.6.21

Com controlador de avanço

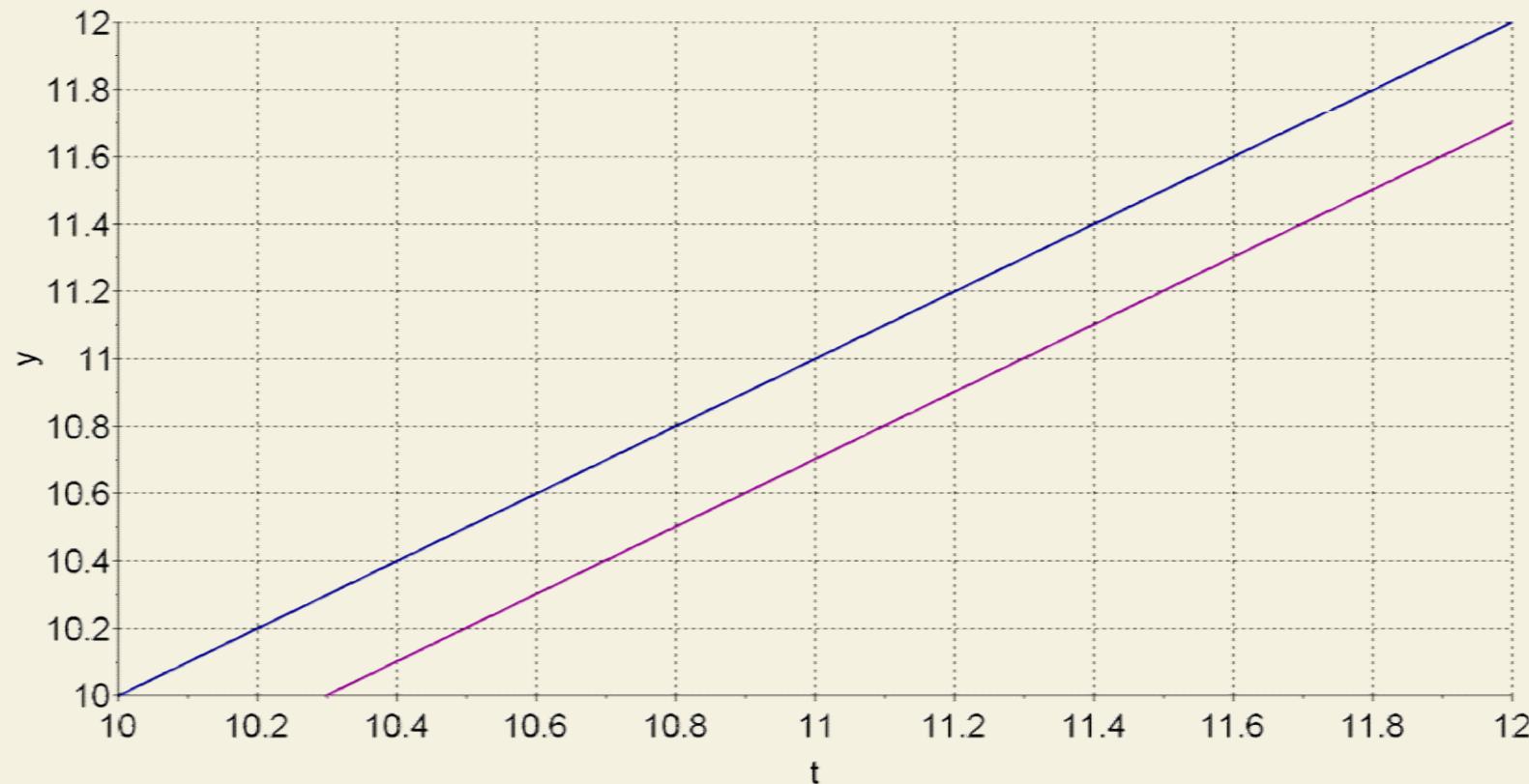
$$G_c = 33,6 \frac{(s + 2)}{(s + 20)}$$



Ogata B.6.21

Com controlador de avanço

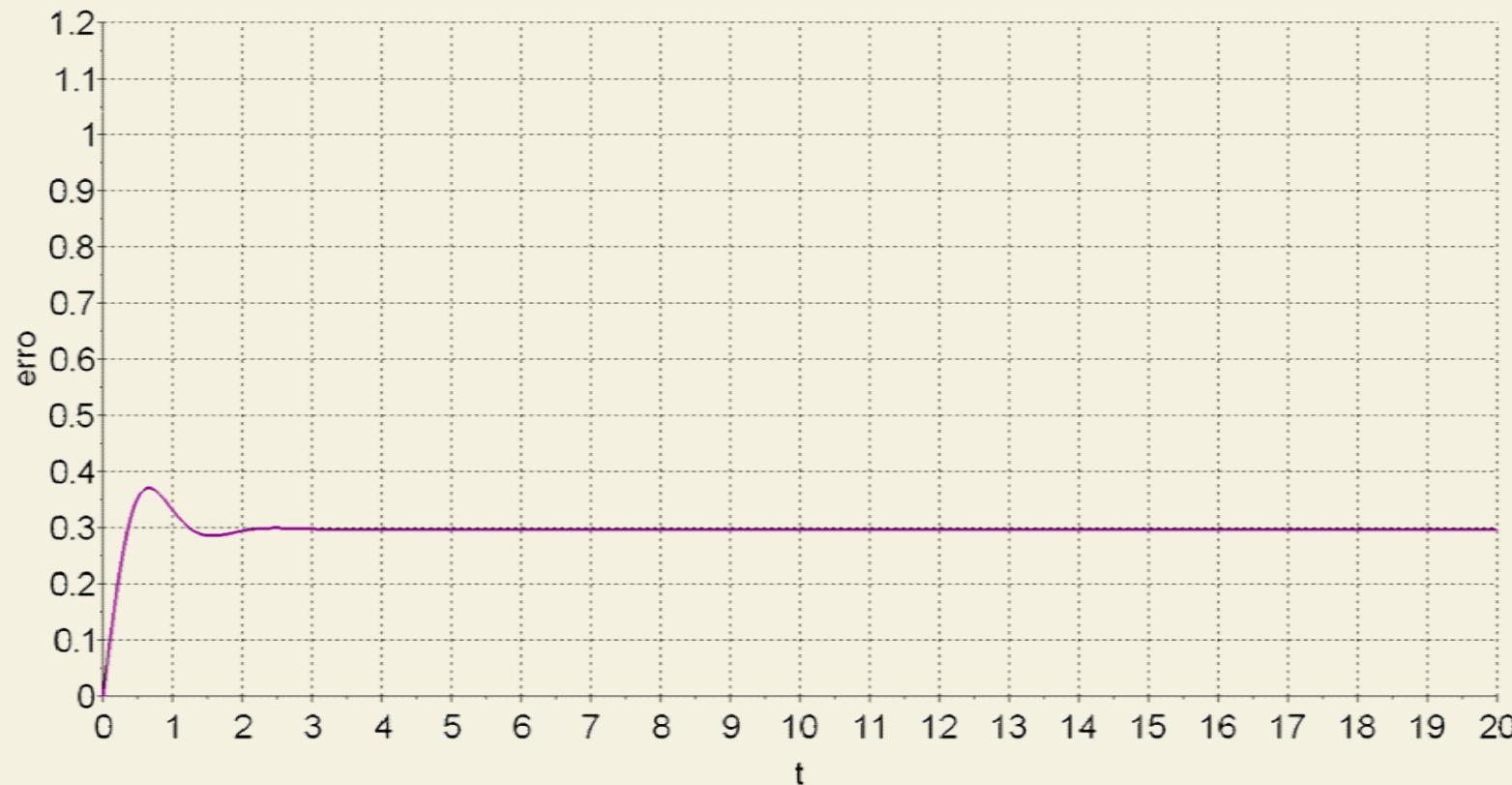
$$G_c = 33,6 \frac{(s + 2)}{(s + 20)}$$



Ogata B.6.21

Com controlador de avanço

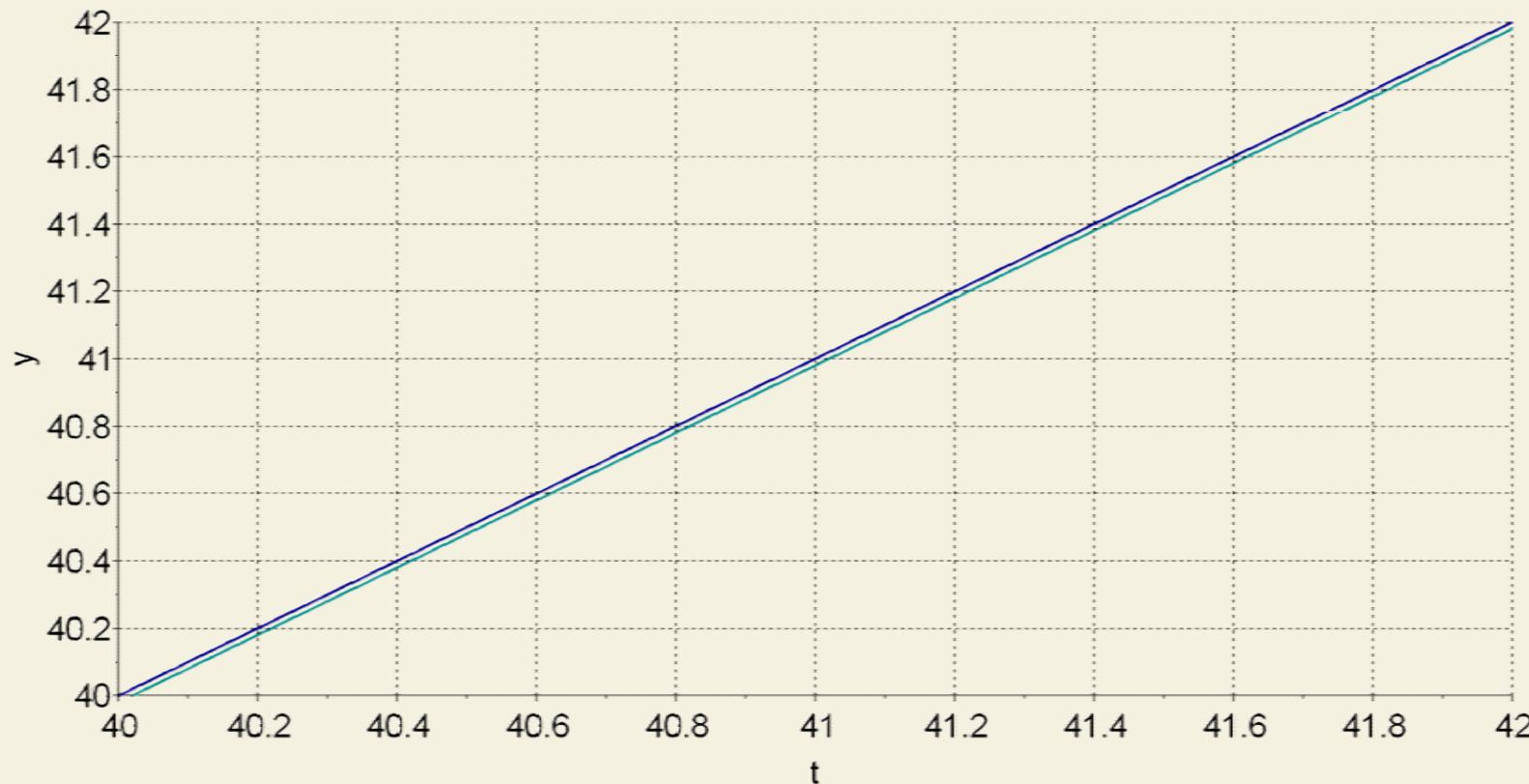
$$G_c = 33,6 \frac{(s + 2)}{(s + 20)}$$



Ogata B.6.21

Com controlador de avanço e atraso

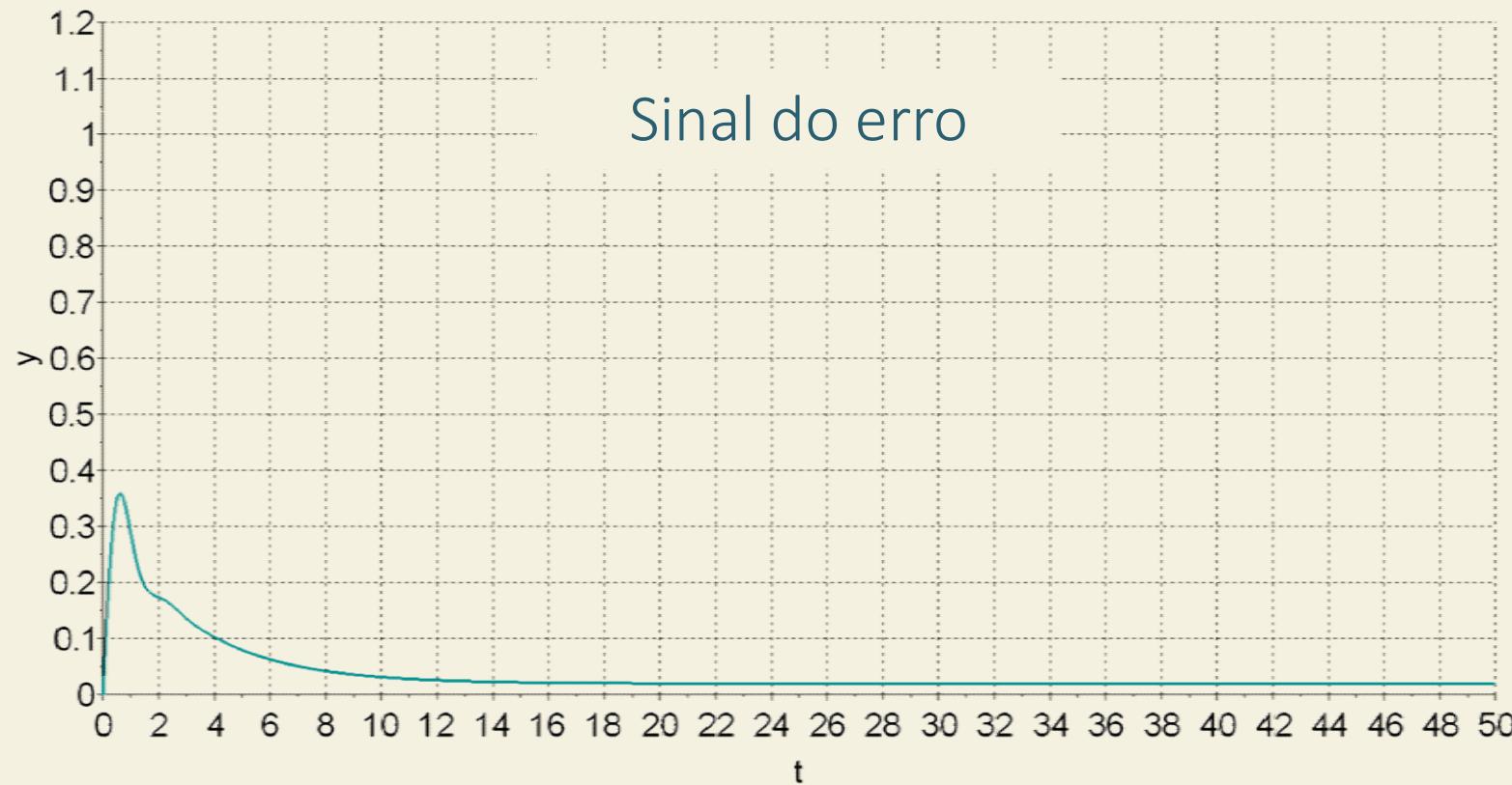
$$G_c = 33,6 \frac{(s + 2)(s + 0,3)}{(s + 20)(s + 0,02)}$$



Ogata B.6.21

Com controlador de avanço e atraso

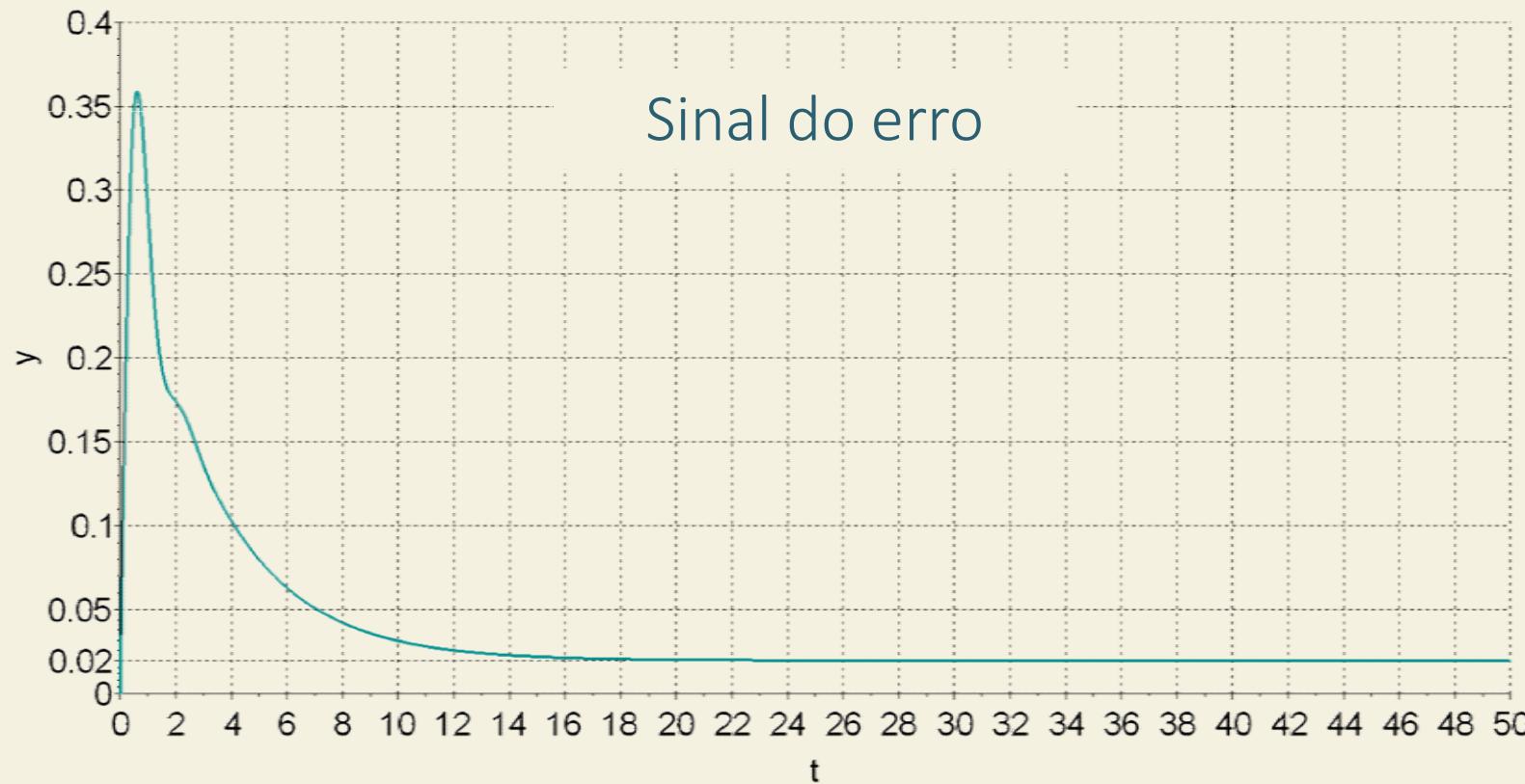
$$G_c = 33,6 \frac{(s + 2)(s + 0,3)}{(s + 20)(s + 0,02)}$$



Ogata B.6.21

Com controlador de avanço e atraso

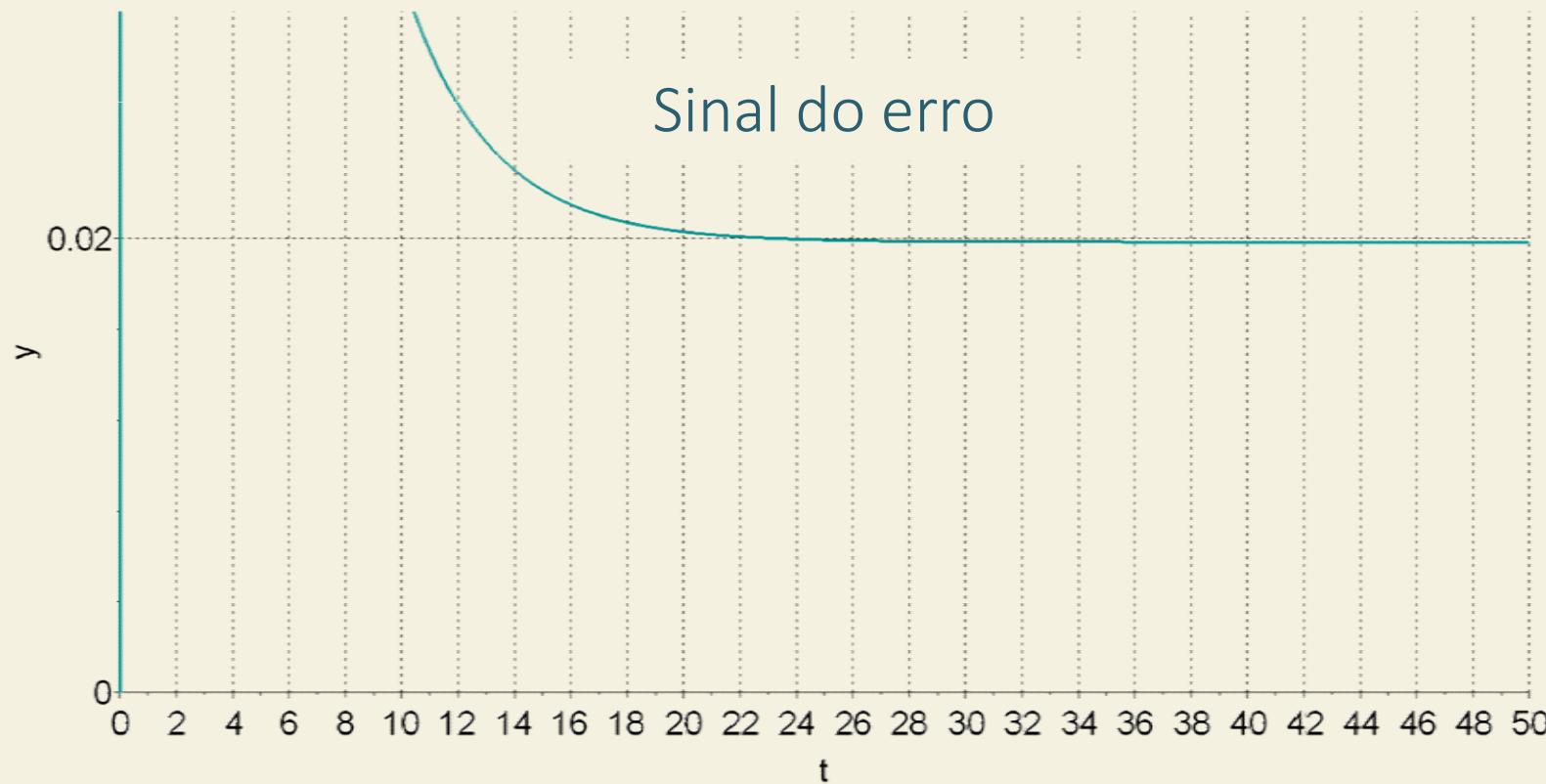
$$G_c = 33,6 \frac{(s+2)(s+0,3)}{(s+20)(s+0,02)}$$



Ogata B.6.21

Com controlador de avanço e atraso

$$G_c = 33,6 \frac{(s + 2)(s + 0,3)}{(s + 20)(s + 0,02)}$$



Outras soluções

Com controlador de avanço

$$G_c = 1330,3 \frac{(s + 2,5)}{(s + 76,8)}$$



Outras soluções

Com controlador de avanço

$$G_c = 24,56 \frac{(s + 1,76)}{(s + 15)}$$

